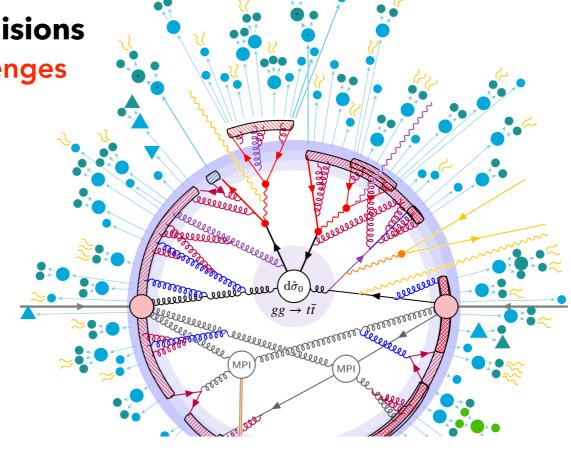
**Anatomy of LHC collisions** 

— and Future Challenges

#### **Peter Z Skands**

University of Oxford & Monash University

IOP Meeting Liverpool, April 2024







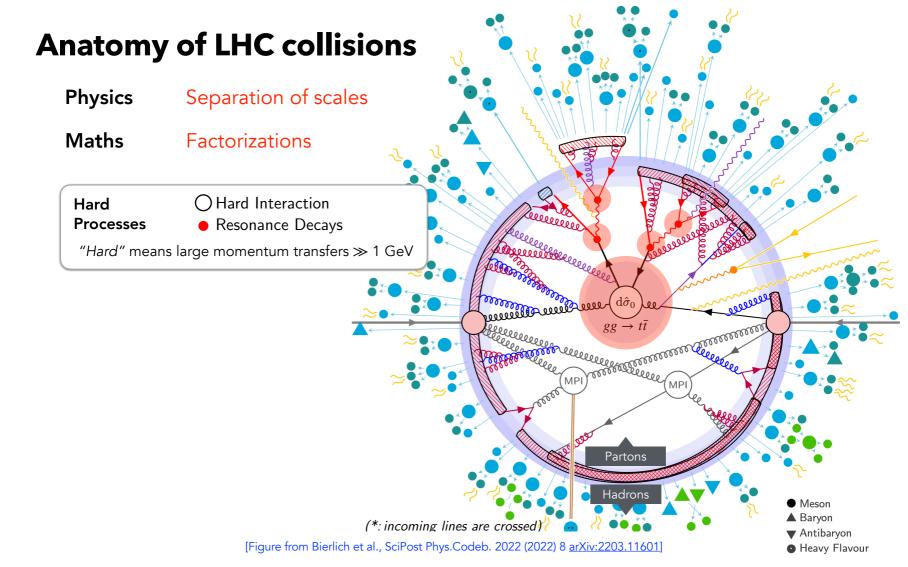


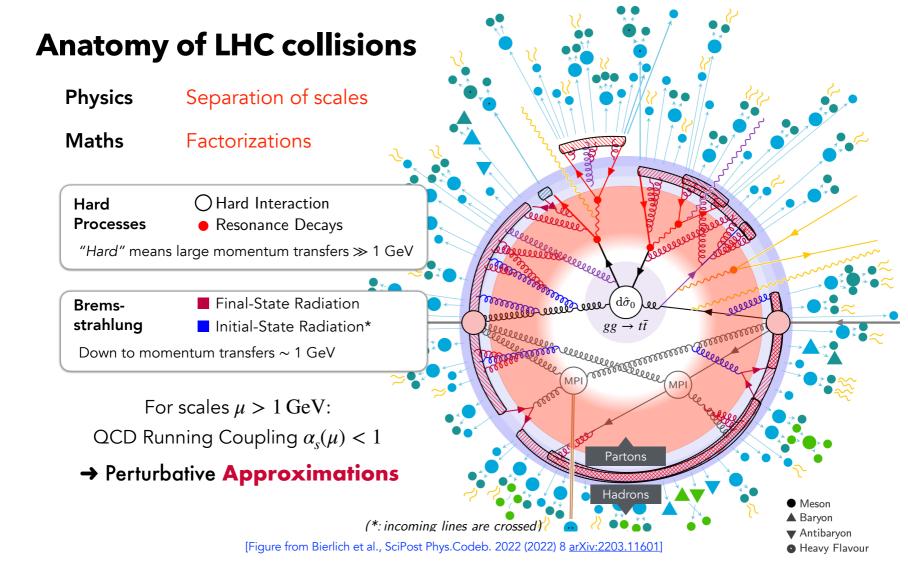








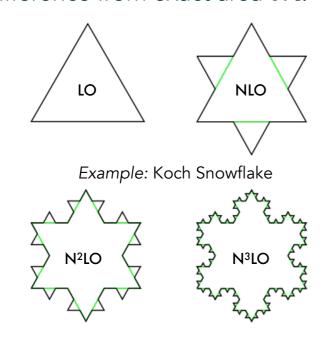




## Perturbative Approaches

### P.T. ~ Calculate the area of a shape ( $d\sigma$ ) with higher and higher detail

Difference from exact area  $\propto \alpha^{n+1}$ 



**Note:** (over)simplified analogy, mainly for IR structure. More at each order than shown here.

Fixed Order

### Perturbative Approaches

### P.T. ~ Calculate the area of a shape ( $d\sigma$ ) with higher and higher detail

Difference from exact area  $\propto \alpha^{n+1}$ 

LO NLO Example: Koch Snowflake N<sup>2</sup>LO N3LO

Showers Parton Resummation Massless gauge theories Scale invariance → fractal substructure (+ not hard to build in running coupling, masses)

Note: (over)simplified analogy, mainly for IR structure. More at each order than shown here.

Fixed Order

### Why go beyond Fixed-Order perturbation theory?

#### Schematic example:

Calculation of the fraction of events passing a radiation (jet) veto:

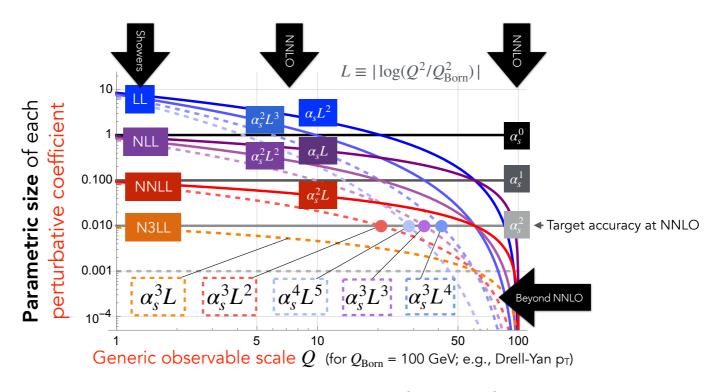
$$\frac{\text{NNLO}}{\widehat{1}} - \alpha_s(L^2 + L + F_1) + \alpha_s^2(L^4 + L^3 + L^2 + L + F_2) + \dots$$

$$L \propto \ln(Q_{\text{veto}}^2 / Q_{\text{hard}}^2)$$

(Logs arise from integrals over propagators  $\propto \frac{1}{q^2}$ )

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### The Case for Embedding Fixed-Order Calculations within Showers



Bremsstrahlung Resummations (Showers) extend domain of validity of perturbative calculations

%-level precision @ LHC ⇒ NNLO + NNLL = Our Target Not quite there (yet) — but close ...

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### Towards True\* NNLO Matching

\*In the sense of the fixed-order and shower calculations matching each other point by point in each phase space

#### Idea: Use (nested) Shower Markov Chain as NNLO Phase-Space Generator

Harnesses the power of showers as efficient phase-space generators for QCD

**Efficient:** Pre-weighted with the (leading) QCD singular structures = soft/collinear poles



#### Different from conventional Fixed-Order phase-space generation (eg VEGAS)



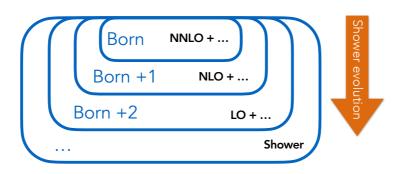
8

### Towards True\* NNLO Matching

\*In the sense of the fixed-order and shower calculations matching each other point by point in each phase space

#### Continue shower afterwards

No auxiliary / unphysical scales  $\Rightarrow$  expect small matching systematics



Proof of concept for Z o q ar q

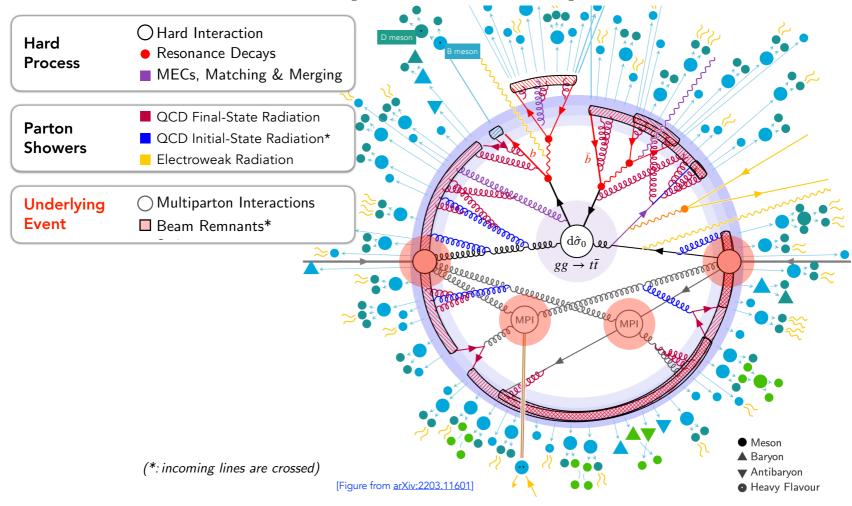
arXiv:2108.07133 arXiv:2310.18671

#### Need:

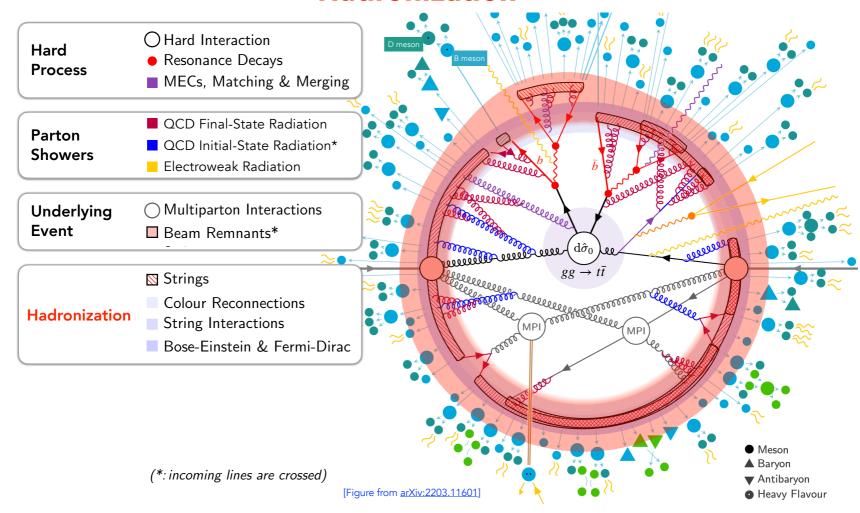
- **1** Born-Local NNLO ( $\mathcal{O}(\alpha_s^2)$ ) K-factors:  $k_{\mathrm{NNLO}}(\Phi_2)$
- 2 NLO  $(\mathcal{O}(\alpha_s^2))$  MECs in the first  $2 \to 3$  shower emission:  $k_{\rm NLO}^{2 \to 3}(\Phi_3)$
- **3** LO  $(\mathcal{O}(\alpha_s^2))$  MECs for next (iterated)  $2 \to 3$  shower emission:  $k_{\rm LO}^{3 \to 4}(\Phi_4)$
- **4** Direct  $2 \to 4$  branchings for unordered sector, with LO  $(\mathcal{O}(\alpha_s^2))$  MECs:  $k_{\text{LO}}^{2 \to 4}(\Phi_4)$



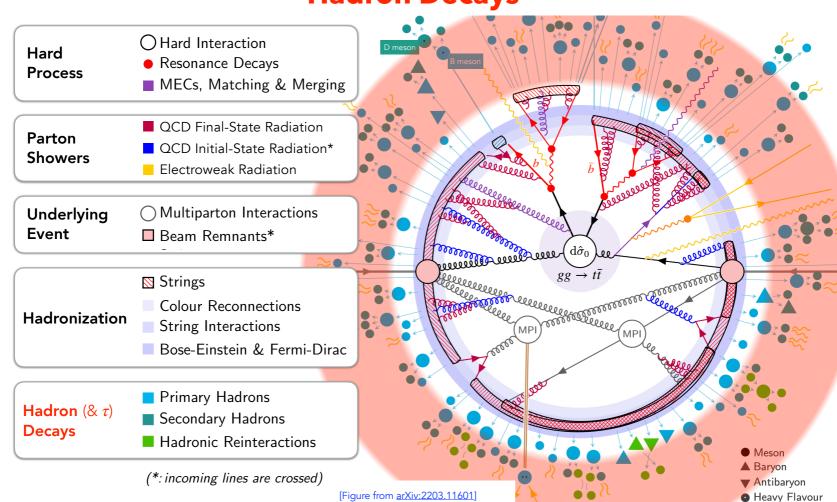
### **Part II – Nonperturbative Aspects**



### **Hadronization**



**Hadron Decays** 



#### New Discoveries in Hadronization

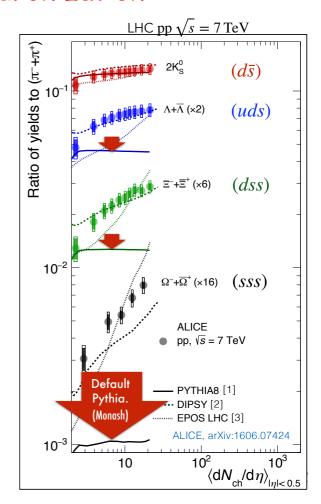
#### What a strange world we live in, said ALICE

Ratios of strange hadrons to pions strongly increase with event activity



Conventional models (eg
Default PYTHIA) → constant
strangess fractions

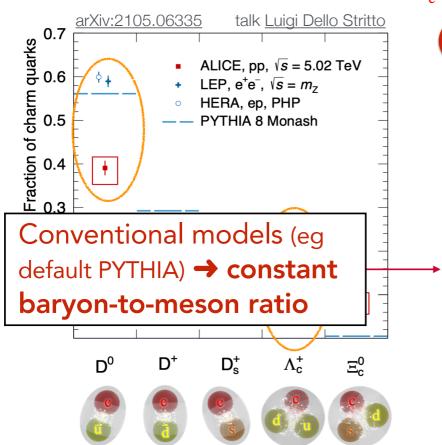
QUANTUM SIMULATION
Hamiltonian learning
TOPOLOGICAL PHOTONICS
Optical Weyl points and Fermi arcs



13

#### Charm hadronization in pp (1):

More charm quarks in baryons in pothan in peter and the lisions in



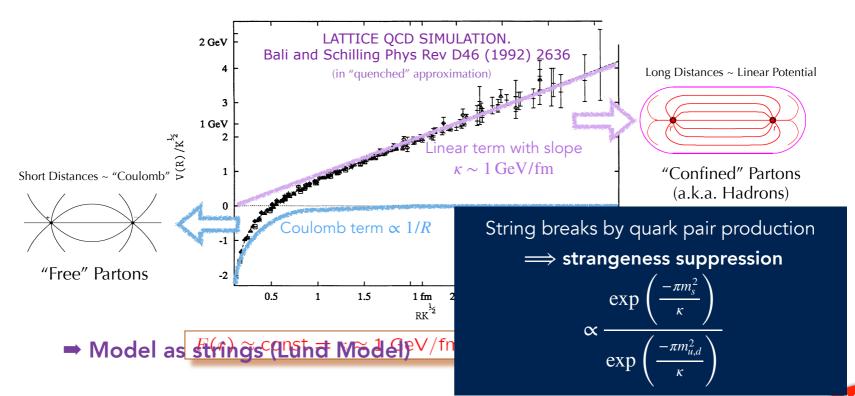
 $\Lambda_c^+$  (cud) ks hadronize into baryons 40% of t

 $\sim$  4 times more than in e+e-

(Will come back to these) $\mathbf{H}_{c}$	$f(c \rightarrow H_c)[\%]$
$D_0$	$39.1 \pm 1.7 (\mathrm{stat})^{+2.5}_{-3.7} (\mathrm{syst})$
$\mathbf{D}^{+}$	$17.3 \pm 1.8 (stat)^{+1.7}_{-2.1} (syst)$
$\mathbf{D}_{\mathrm{s}}^{+}$	$7.3 \pm 1.0 (\text{stat})^{+1.9}_{-1.1} (\text{syst})$
$\Lambda_{ m c}^+$	$20.4 \pm 1.3 (stat)^{+1.6}_{-2.2} (syst)$
$\Xi_{\mathrm{c}}^{0}$	$8.0 \pm 1.2 (\text{stat})^{+2.5}_{-2.4} (\text{syst})$
$D^{*+}$	$15.5 \pm 1.2 (stat)^{+4.1}_{-1.9} (syst)$

### Back to Basics — Anatomy of (Linear) Confinement

On lattice, compute potential energy of a colour-singlet  $q\bar{q}$  state, as function of the distance, R, between the q and  $\bar{q}$ :



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### Beyond the Static Limit

Regard tension  $\kappa$  as an emergent quantity?

Not fundamental strings

### May depend on (invariant) time au

E.g., hot strings which cool down Hunt-Smith & PZS EPJC 80 (2020) 11

### May depend on $\sigma$ (excitations)

Working with E. Carragher & J. March-Russell in Oxford.

### May depend on environment (e.g., other strings nearby)

Two approaches (so far) within Lund string-model context:

Colour Ropes [Bierlich, Gustafson, Lönnblad, Tarasov JHEP 03 (2015) 148; + more recent...]

Close-Packing [Fischer & Sjöstrand JHEP 01 (2017) 140; Altmann & PZS in progress ...]

Cyclonic and Anticyclonic Winds

1012 1006 1004 1006 1012 1016

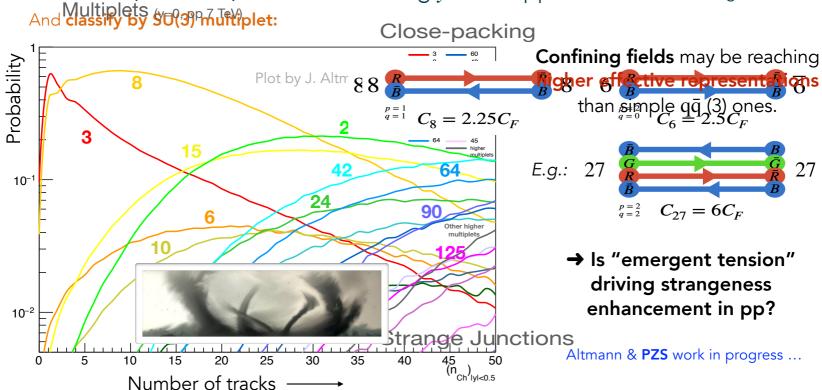
1008 1012 1016

(Cyclone)

# Non-Linear String Dynamics

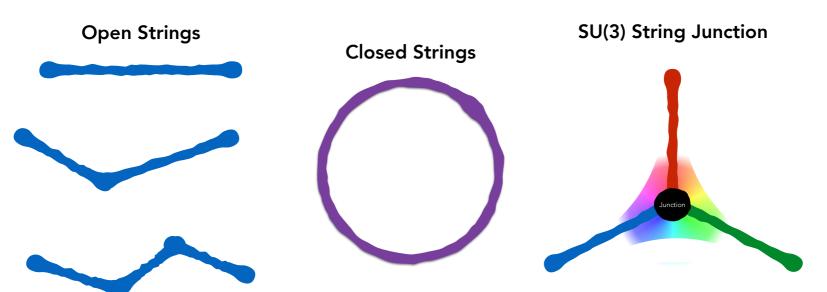
#### $MPI \Longrightarrow lots$ of coloured partons scattered into the final states

Count # of (oriented) flux lines crossing y=0 in pp collisions (according to PYTHIA)



### What about Baryon Number?

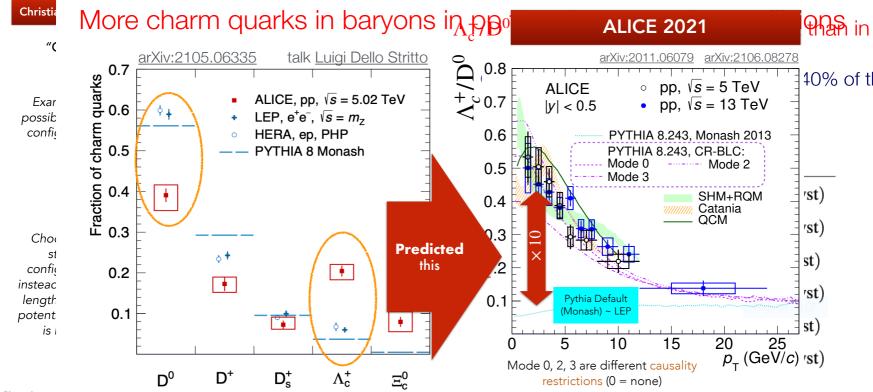
Types of string topologies:



Could we get these at LHC?

#### Stochastic sampling of SU(3) group probabilities (e.g., $3 \otimes 3 = 6 \oplus \bar{3}$ )

Charm hadronization in pp (1):



### Summary

### The Goal: use LHC measurements to test hypotheses about Nature

Problem 1: no exact solutions to QFT

→ Perturbative Approximations

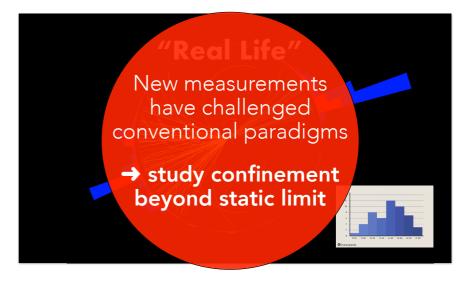
New insights into perturbation theory
— at non-trivial orders

→ new techniques

(→ expect %-level

Elementary Fields, Symmetries, Interactions

•accuracies)



Problem 2: Confinement
We collide — and observe — hadrons