### Soft QCD: Theory

Peter Skands (CERN Theoretical Physics Dept)

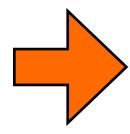






## Questions

#### Pileup



How much? In central & fwd acceptance?

Structure: averages + fluctuations, particle composition, lumpiness, ...

Scaling to 13 TeV and beyond

#### Underlying Event ~ "A handful of pileup"?

Hadronizes with Main Event → "Color reconnections" Additional "minijets" from multiple parton interactions

#### Hadronization

Models from the 80ies, mainly constrained in 90ies

Meanwhile, perturbative models have evolved

Dipole/Antenna showers, ME matching, NLO corrections, ...

Precision → re-examine non-perturbative models and constraints

New clean constraints from LHC (& future colliders)?

Uses and Limits of "Tuning"

### From Hard to Soft

#### Factorization and IR safety

Main tools for jet calculations

Corrections suppressed by powers

of  $\Lambda_{QCD}/Q_{Hard}$ 

Soft QCD / Pileup

#### NO HARD SCALE

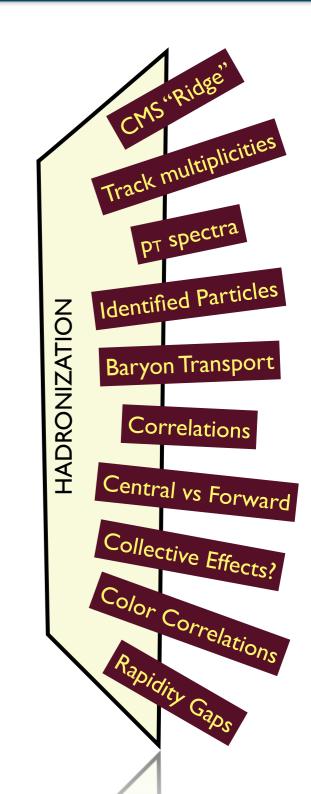
Typical Q scales ~ Λ<sub>QCD</sub>

Extremely sensitive to IR effects

→ Excellent LAB for studying IR effects

- ~ ∞ statistics for min-bias
  - → Access tails, limits

Universality: Recycling PU → MB → UE

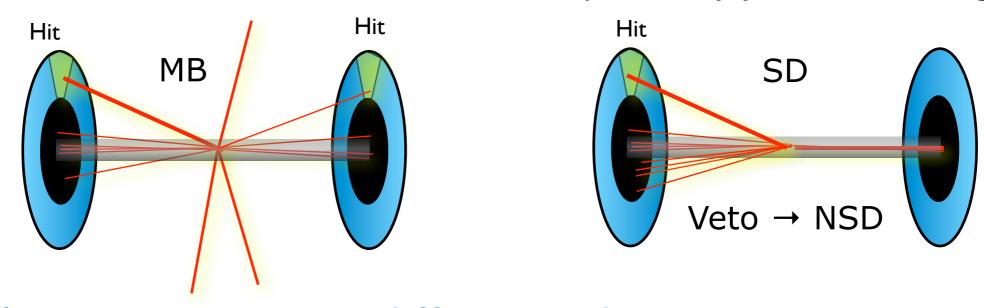


## What is Pileup / Min-Bias?

We use Minimum-Bias (MB) data to test soft-QCD models

#### Pileup = "Zero-bias"

"Minimum-Bias" typically suppresses diffraction by requiring two-armed coincidence, and/or ≥ n particle(s) in central region

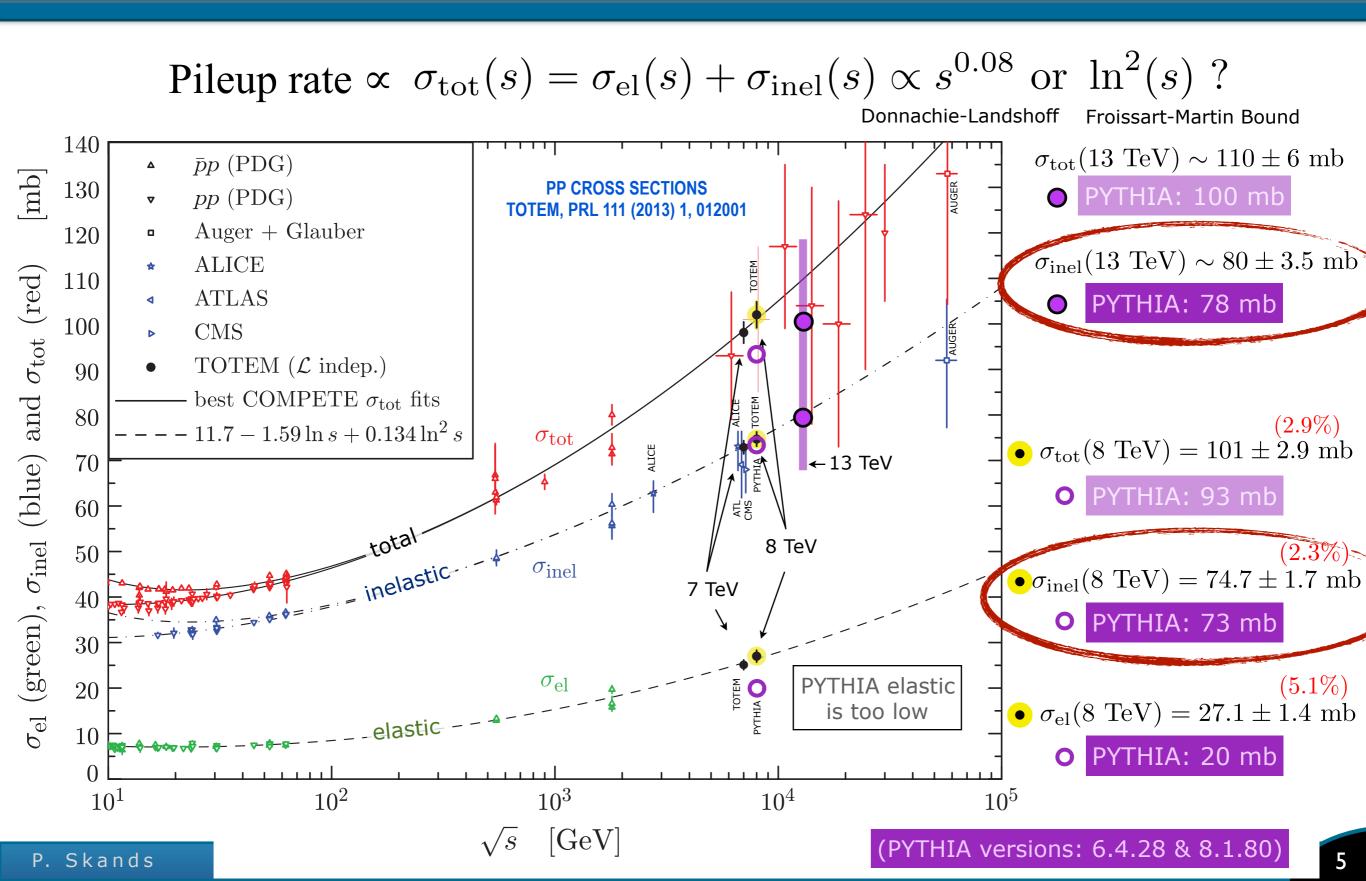


→ Pileup contains more diffraction than Min-Bias

Total diffractive cross section  $\sim 1/3~\sigma_{\text{inel}}$ Most diffraction is low-mass  $\rightarrow$  no contribution in central regions **High-mass tails** could be relevant in FWD region

→ direct constraints on diffractive components (→ later)

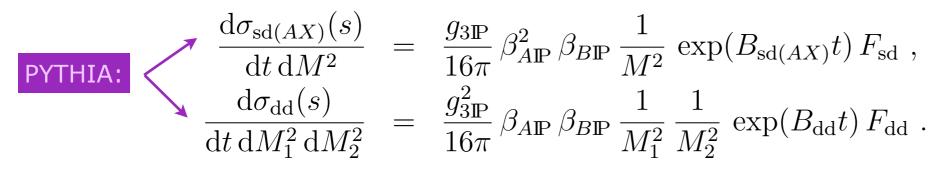
## The Total Cross Section



### The Inelastic Cross Section

#### First try: decompose $\sigma_{\text{inel}} = \sigma_{\text{sd}} + \sigma_{\text{dd}} + \sigma_{\text{cd}} + \sigma_{\text{nd}}$

+ Parametrizations of diffractive components: dM<sup>2</sup>/M<sup>2</sup>



+ Integrate and solve for  $\sigma_{nd}$ 



Total Inelastic

Fraction with one charged particle in  $|\eta|{<}1$ 

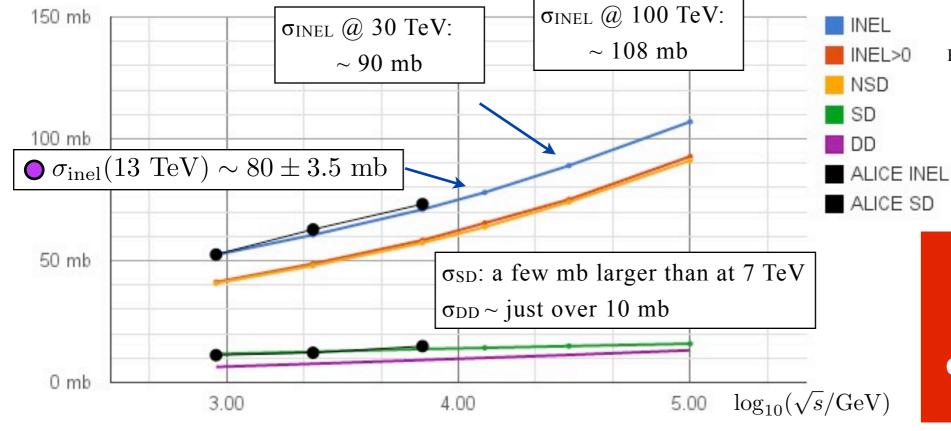
Ambiguous Theory Definition

Ambiguous Theory Definition

**Ambiguous Theory Definition** 

Observed fraction corrected to total

ALICE def: SD has MX<200



Note problem of principle: Q.M. requires distinguishable final states

## Models of Soft QCD - Disclaimer

#### May not always reflect "best" TH understanding

Not just a matter of cranking perturbative orders Harder due to requirement of fully differential **dynamical modeling** (event generators), not just cross section formulae

#### May not always reflect "best" EXP constraints

Not just a matter of "tuning"

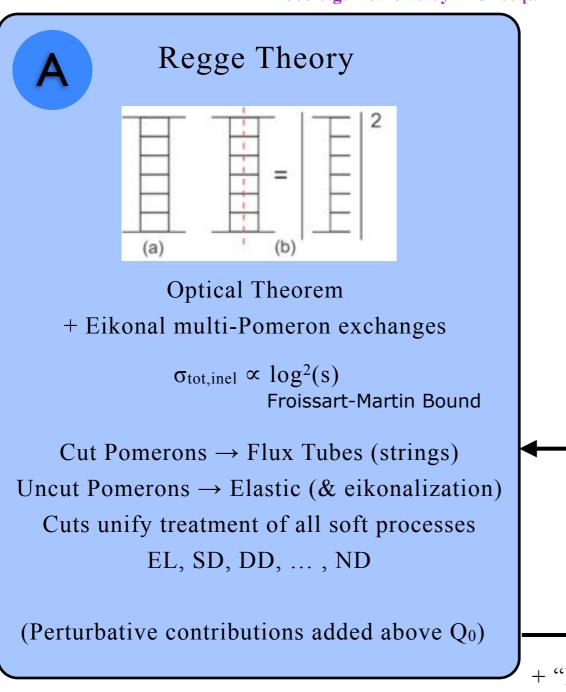
(+ tunnel vision: exp comparisons for searches or EW measurements rarely formulated as QCD constraints)

# Modeling: identify "new" physics + build and constrain models (beyond perturbative leading-twist)

Few people working on soft QCD models → long cycles

## Dynamical Models of Soft QCD

See e.g. Reviews by MCnet [arXiv:1101.2599] and KMR [arXiv:1102.2844]



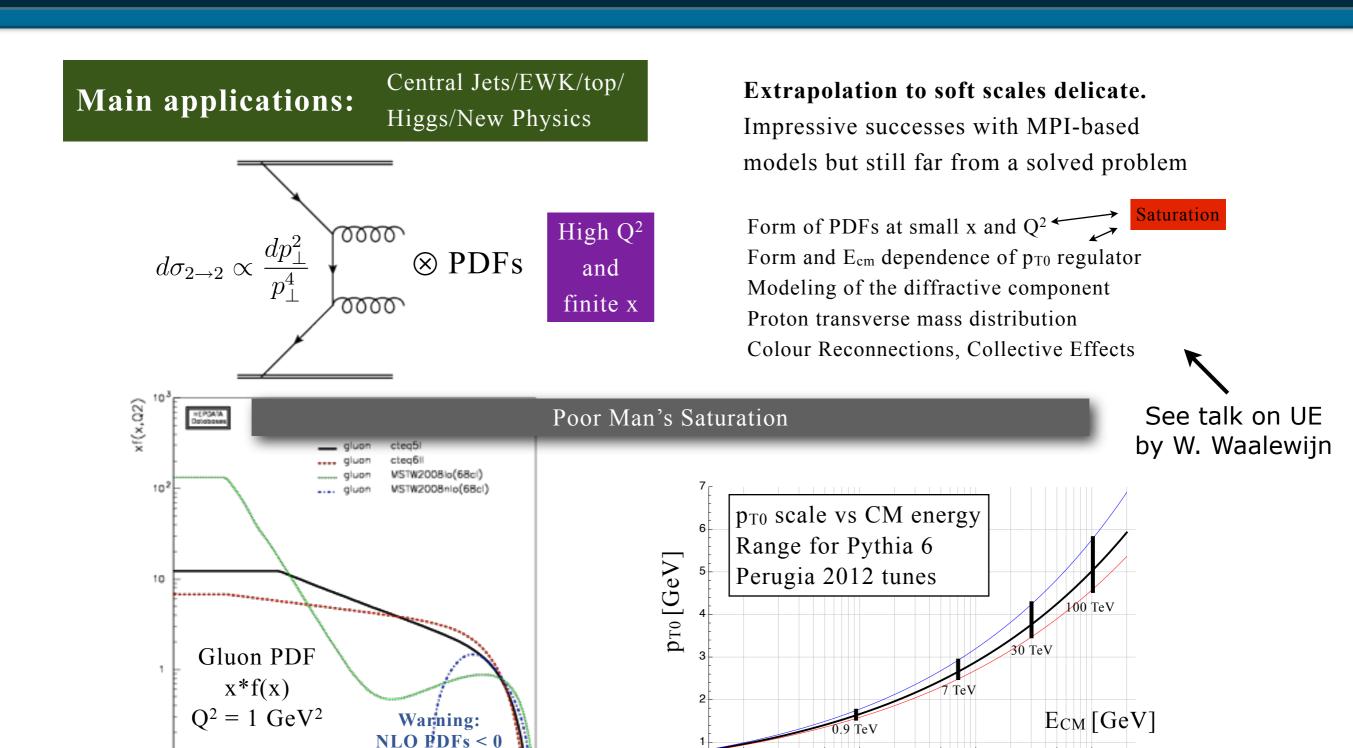
+ "Mixed"
E.g., PHOJET, EPOS,
SHERPA-KMR

Parton Based own ⊗ PDFs  $d\sigma_{2\rightarrow2}\propto$ 0000 + Unitarity & Saturation → Multi-parton interactions (MPI) + Parton Showers & Hadronization Regulate  $d\sigma$  at low  $p_{T0} \sim \text{few GeV}$ Screening/Saturation  $\rightarrow$  energy-dependent  $p_{T0}$ Total cross sections from Regge Theory (e.g., Donnachie-Landshoff + Parametrizations)

E.g., QGSJET, SIBYLL

E.g., **PYTHIA**, HERWIG, SHERPA

## Parton-Based Models



See also Connecting hard to soft: KMR, EPJ C71 (2011) 1617 + PYTHIA "Perugia Tunes": PS, PRD82 (2010) 074018 + arXiv:1308.2813

500 1000

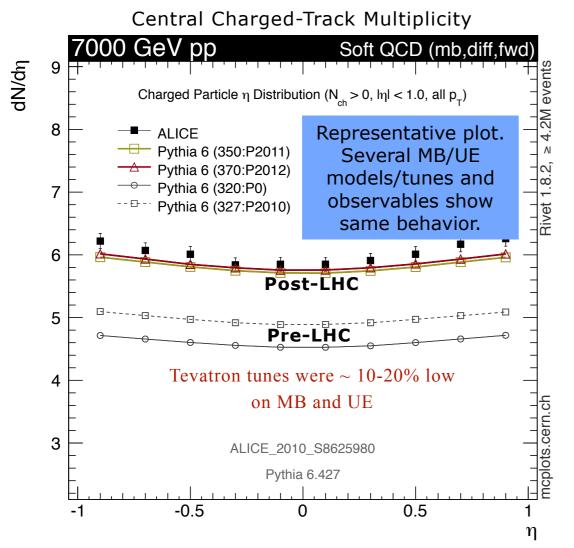
 $5 \times 10^4 \, 1 \times 10^5$ 

5000 1×104

## Minimum-Bias: Averages

Discovery at LHC
Min-Bias & UE are 10-20% larger than we thought
Scale a bit faster with energy

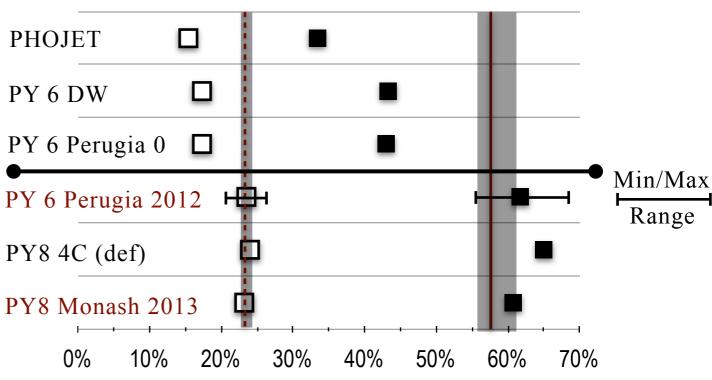
→ Be sure to use up-to-date (LHC) tunes



#### A SENSITIVE E-SCALING PROBE:

Relative increase in the central charged-track multiplicity from 0.9 to 2.36 and 7 TeV

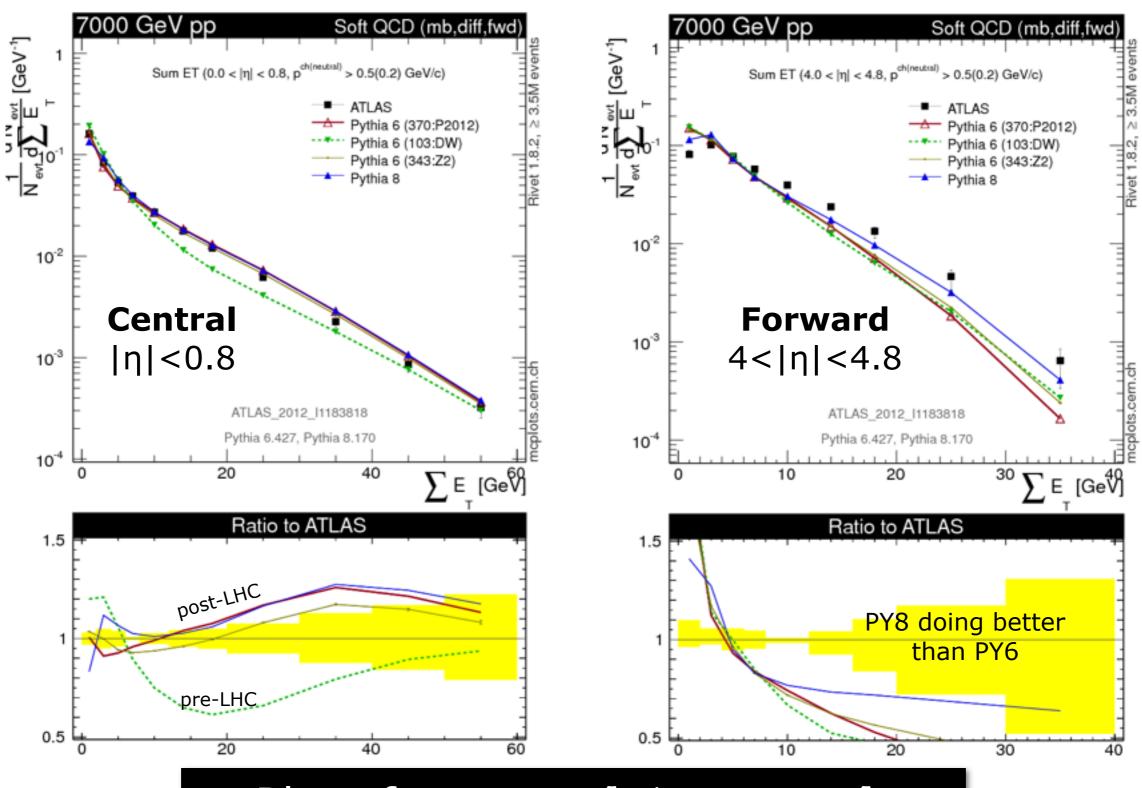
INEL>0  $|\eta|<1$ 



Data from ALICE EPJ C68 (2010) 345, Plot from <u>arXiv:1308.2813</u>

See also energy-scaling tuning study, Schulz & PS, EPJ C71 (2011) 1644

# Sum(E<sub>T</sub>)



300

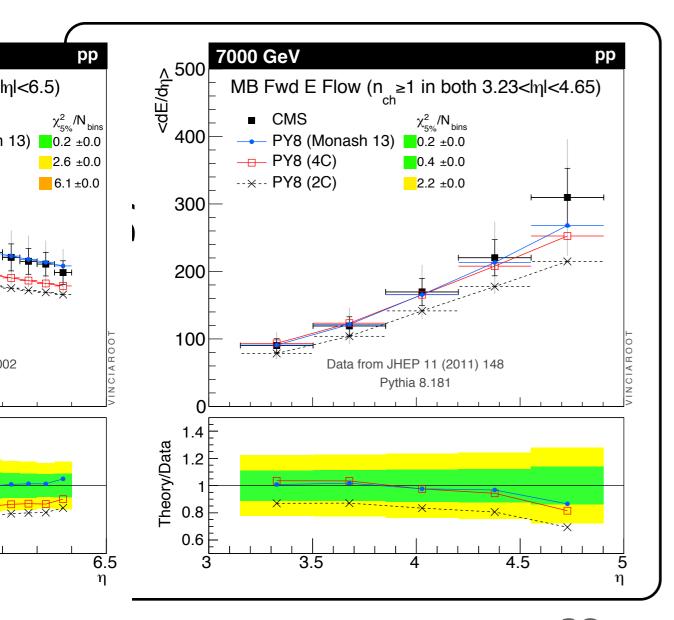
200

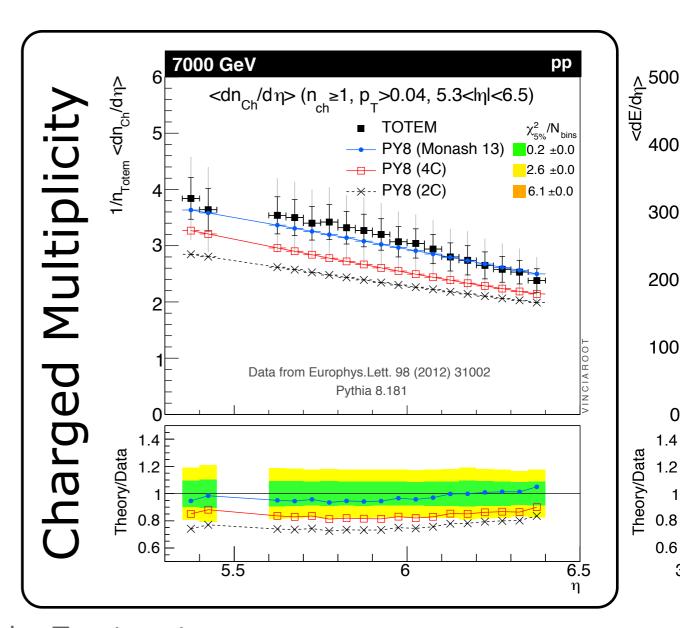
100

0.6

# The Forward Region

#### More sensitive to low x & diffraction





2C: an older Tevatron tune

**4C**: the current LHC tune (Default in Pythia 8.1)

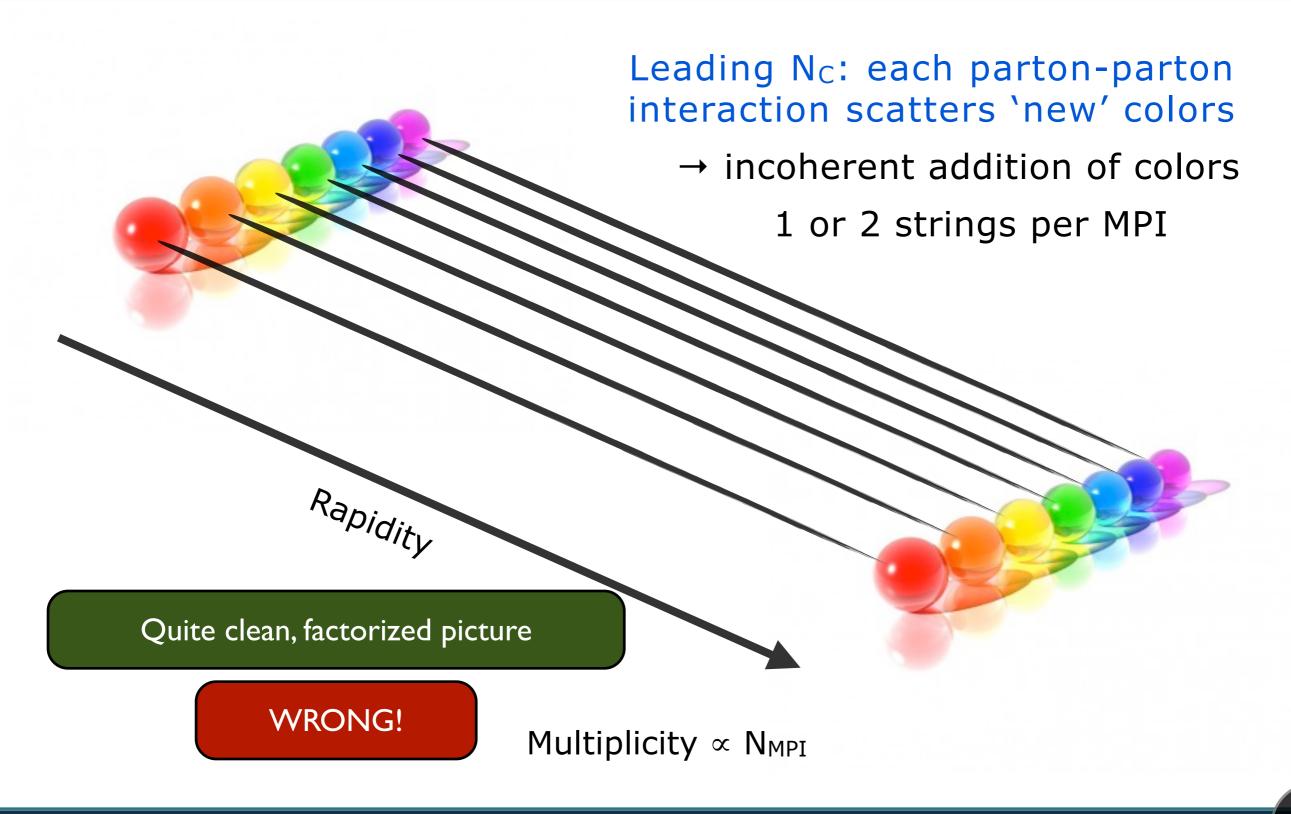
Monash 2013: a new LEP + LHC tune (Default from Pythia 8.2?)



Hadronization color flow, color reconnections, particle spectra



### Color Connections



### Color Reconnections?

E.g., Generalized Area Law (Rathsman: Phys. Lett. B452 (1999) 364) Nc=3: Colors add coherently Color Annealing (P.S., Wicke: Eur. Phys. J. C52 (2007) 133) + collective effects? Hydro? Coherence **Better theory models needed** Coherence Study: coherence and/or finite-N<sub>C</sub> effects String formation at finite N<sub>C</sub> In context of multi-parton interactions LEP constraints? Additional collectivity? (a la HI? BE?)

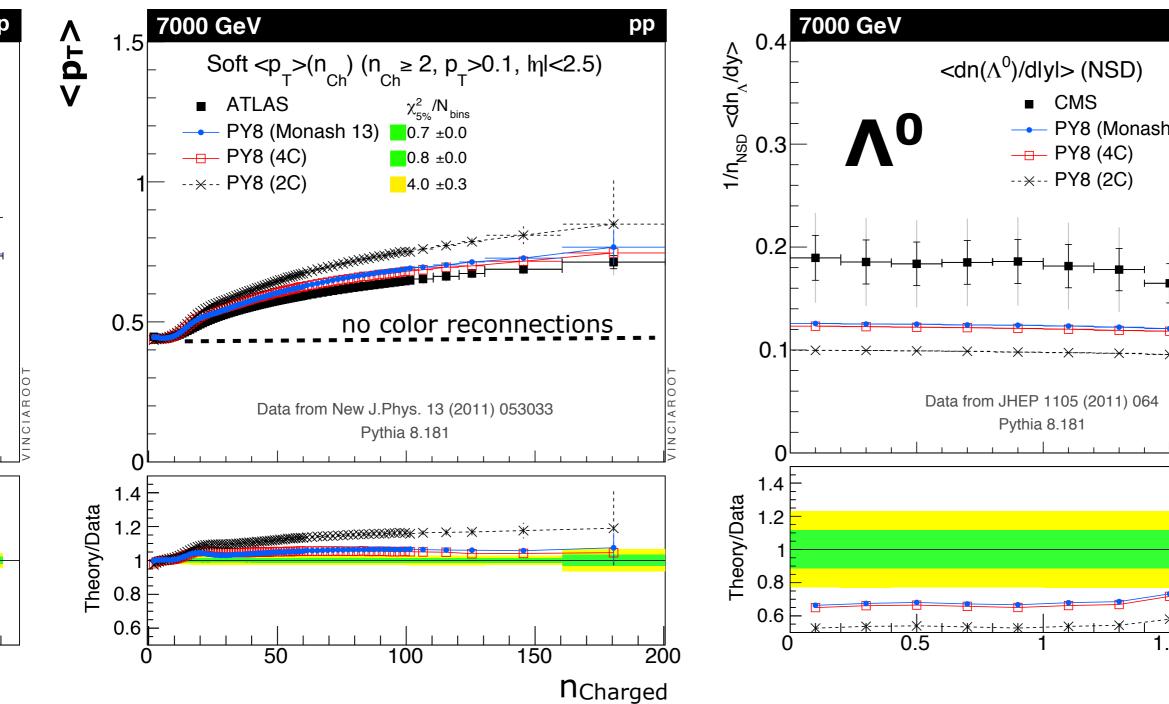


# Signs of collectivity?

1) Rise of  $\langle p_T \rangle$  with multiplicity



pp



 $\chi^2_{5\%}/N_{bins}$ PY8 (Monash 13)  $6.9 \pm 0.0$  $7.6 \pm 0.0$ 14.7 ±0.0

# Gluon Splitting

Less singular than gluon emission: single log

$$P(g \to q\bar{q}) \propto \frac{1}{m_{q\bar{q}}^2}$$

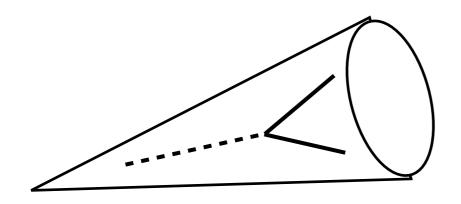
→ *Less* precise, from parton-shower viewpoint

Massive quarks → not even singular

Predictions for g→cc,bb differ greatly between models

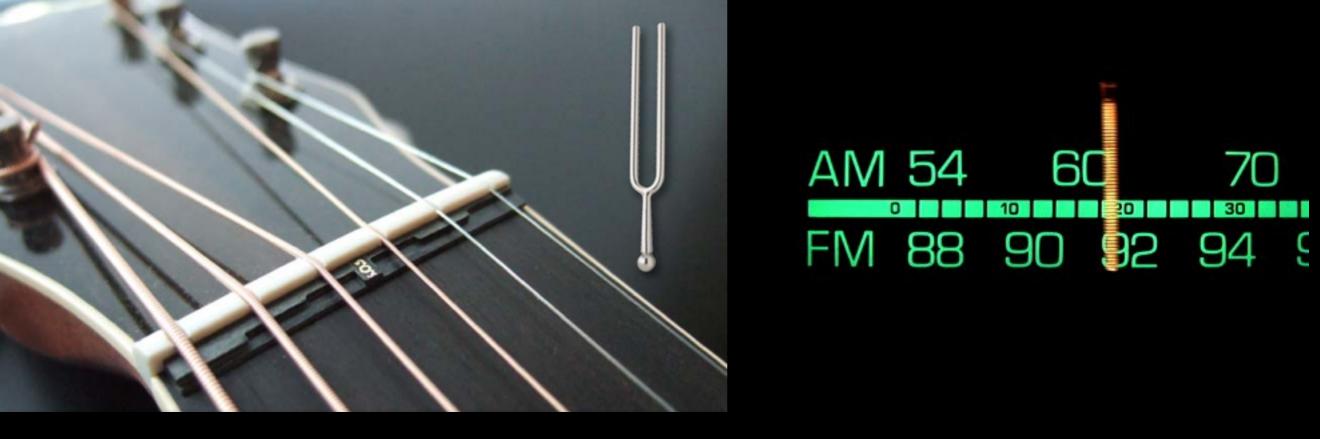
Non-singular terms, evolution variable, renormalization scale

Beware: overpredicted if (c,b) treated massless



Strong interest in constraints from double-tagged heavy-flavor jets

At the theory level we will learn more from NLO corrections to gluon-splitting processes



# Tuning means different things to different people



### Example: Value of Strong Coupling

#### PYTHIA 8 (hadronization on) vs LEP: Thrust

$$T = \max_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \max_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \max_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \max_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left( \frac{\sum_{i} |\vec{p_i} \cdot \vec{n}|}{\sum_{i} |\vec{p_i} \cdot \vec{n}|} \right) \frac{1}{1 - T} = \min_{\vec{n}} \left$$

 $a_s(M_Z) = 0.12$ 1-loop running, MC
1-loop running, MC

+ IR regularization → Impact on non-perturbative parameters!

#### **Sneak Preview:**

### VINCIA: Multijet NLO Corrections

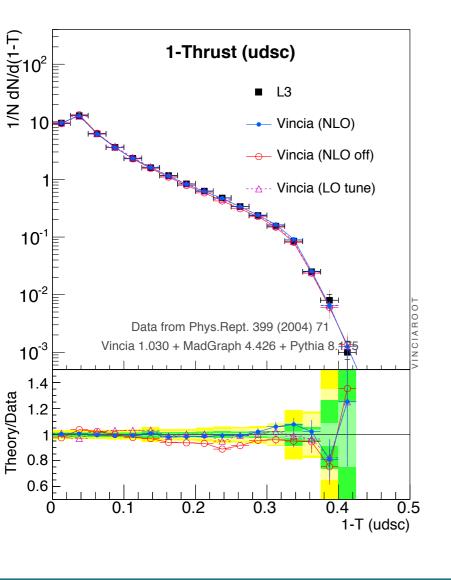
Hartgring, Laenen, Skands, arXiv:1303.4974

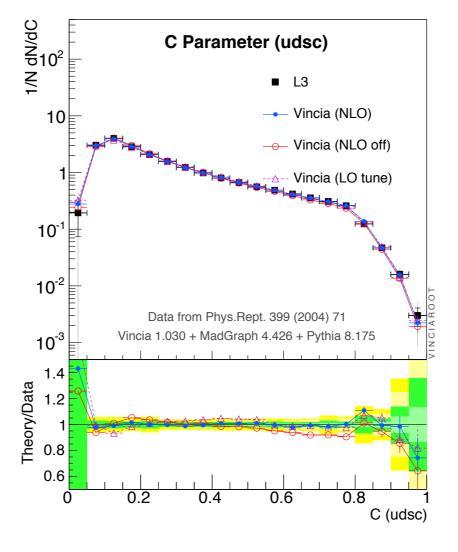
#### First LEP tune with NLO 3-jet corrections

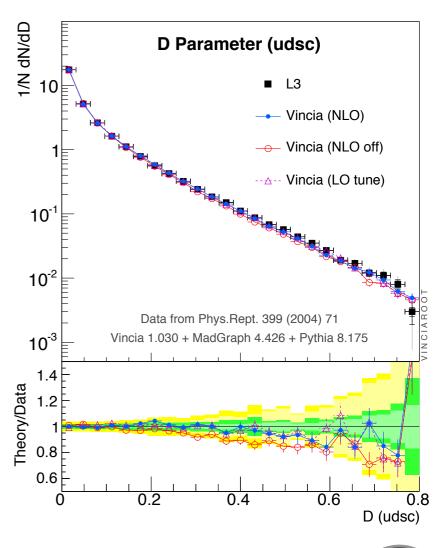
LO tune:  $\alpha_s(M_Z) = 0.139$  (1-loop running, MC)

NLO tune:  $\alpha_s(M_Z) = 0.122$  (2-loop running, MSbar  $\rightarrow$  MC)









## Soft QCD Models: Outlook

HERWIG++ and SHERPA are developing diffractive models + investigating color reconnections

EPOS uses collective effects (hydro) also in pp Impressive successes for identified-particle spectra (→?)

PYTHIA 8 (by now generally superior to PYTHIA 6)

New "Monash 2013" tune (LEP+MB+UE+DY) (from v.8.185)

New model of colour reconnections to be developed over next half year (with J.R. Christiansen) → "Monash 2014"?

Hard diffraction included in PYTHIA 8 (not 6), but diffraction generally still poorly understood

VINCIA for hadron colliders also to be ready in 2014

PHOJET, SIBYLL, QGSJET (pomeron-based)

Personal (biased?) view: Problems with soft-to-hard transition

Tuning: LO vs NLO & universality needs better understanding

### Observable Wishlist

# Gluon Splitting: double-tagged (cc and bb) jets

Interplay with boosted H→bb, Z→bb

Do double-tagging algorithms exist? How difficult/complicated would they be to develop?

Can dependence on m<sub>QQ</sub> be measured?

#### Underlying event in top

Charged-track multiplicity in top events Dependence on p<sub>T</sub> and m

Underlying event away from boosted tops

### Observable Wihslist

MB and UE tails (more/less central)

Rapidity Gaps: CR vs Diffraction

#### Menu

- → Front Page
- ⇒ LHC@home 2.0

  → LHC@home 2.0
- → Generator Versions
- → Generator Validation
- → Update History
- → User Manual and Reference

4

#### Analysis filter:

- → ALL pp/ppbar
- → ALL ee

Specific analysis:

→ Latest analyses

#### Z (Drell-Yan)

- → Jet Multiplicities
- $\rightarrow 1/\sigma d\sigma(Z)/d\phi_n^*$
- → dσ(Z)/dpTZ
- $\rightarrow 1/\sigma d\sigma(Z)/dpTZ$

#### W

- Charge asymmetry vs η
- → Charge asymmetry vs N<sub>jet</sub>
- → dσ(jet)/dpT
- → Jet Multiplicities

#### Top (MC only)

- → Δφ (ttbar)
- → Δy (ttbar)
- → |∆y| (ttbar)
- → M (ttbar)
  → pT (ttbar)
- → Cross sections
- → y (ttbar)
- → Asymmetry
- → Individual tops

#### **Bottom**

- → η Distributions
- → pT Distributions
- → Cross sections

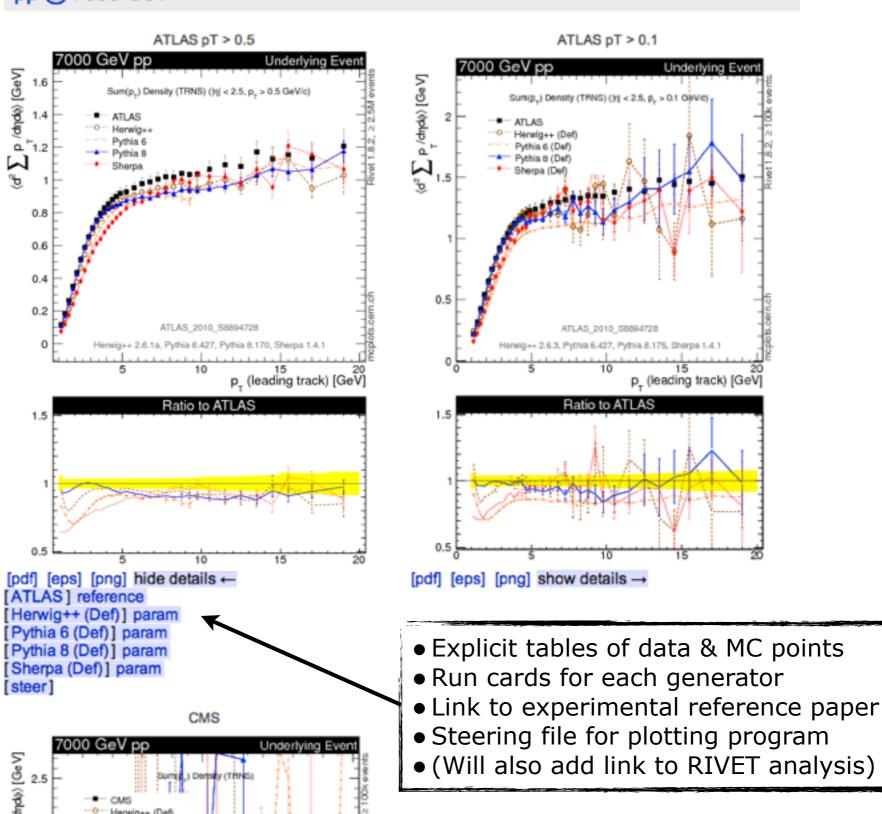
#### **Jets**

#### Underlying Event : TRNS : Σ(pT) vs pT1

Generator Group: General-Purpose MCs Soft-Inclusive MCs Alpgen Herwig++ Pythia 6 Pythia 8 Sherpa Vincia Epos Phojet Custom

Subgroup: Defaults LHC Tunes C++ Generators Tevatron vs LHC tunes

#### pp @ 7000 GeV



## Test4Theory - LHC@home

http://lhcathome.cern.ch/test4theory

LHC@home 2.0 Test4Theory volunteers' machines seen since Sun Nov 17 2013 14:00:00 GMT+1100 (EST) (2804 machines overall)

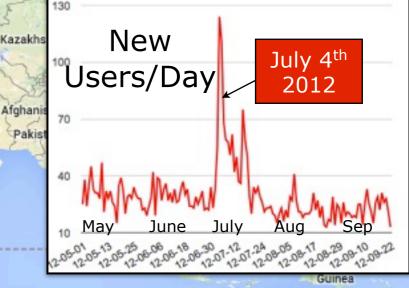
The LHC@home 2.0 project <u>Test4Theory</u> allows users to participate in <u>running simulations of high-energy particle physics</u> using their home computers.

The results are submitted to a <u>database</u> which is used as a common resource by both experimental and theoretical scientists working on the <u>Large Hadron Collider</u> at CERN.



#### New: Citizen Cyberlab (funds from EU)

Develop an app that lets citizen scientists learn about, interact with, and optimize high-energy physics simulations, by comparing them to real data

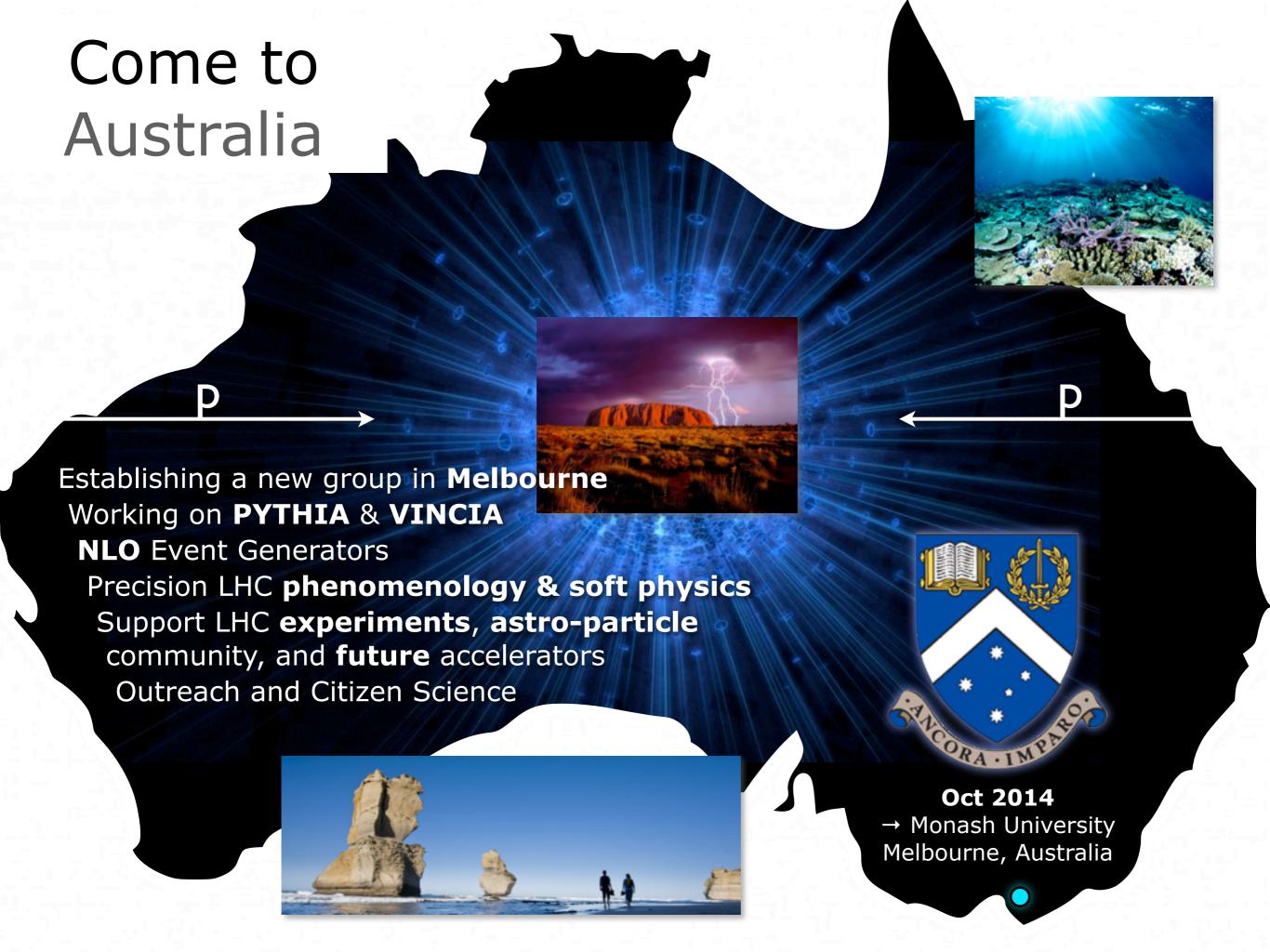


Indian Ocean



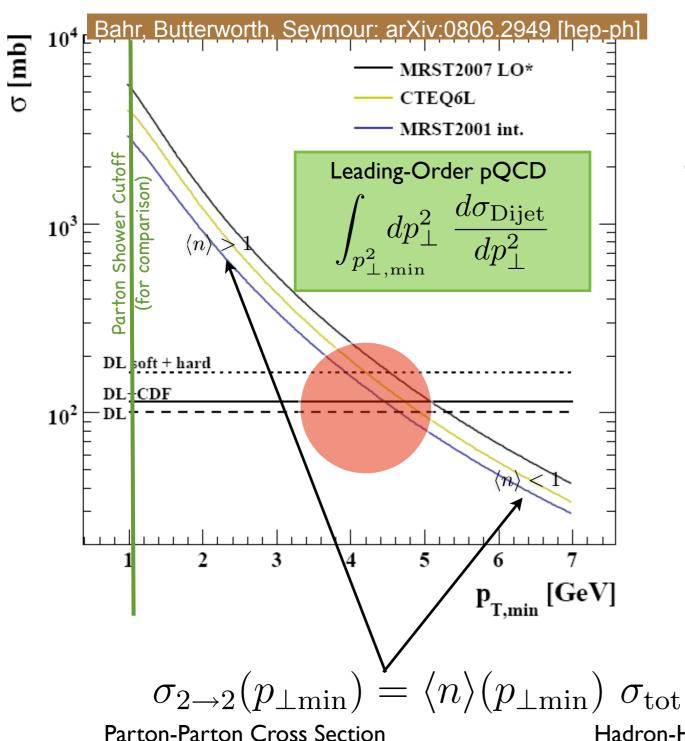


New 9

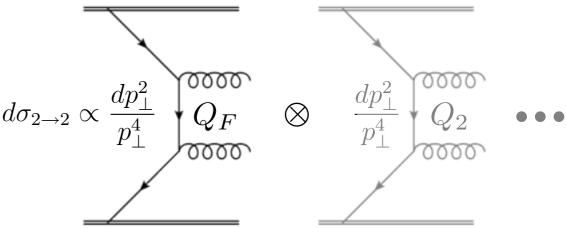


## Multiple Interactions

= Allow several parton-parton interactions per hadron-hadron collision. Requires extended factorization ansatz.



Earliest MC model ("old" PYTHIA 6 model) Sjöstrand, van Zijl PRD36 (1987) 2019



Lesson from bremsstrahlung in pQCD: divergences → fixed-order breaks down

Perturbation theory still ok, with resummation (unitarity)

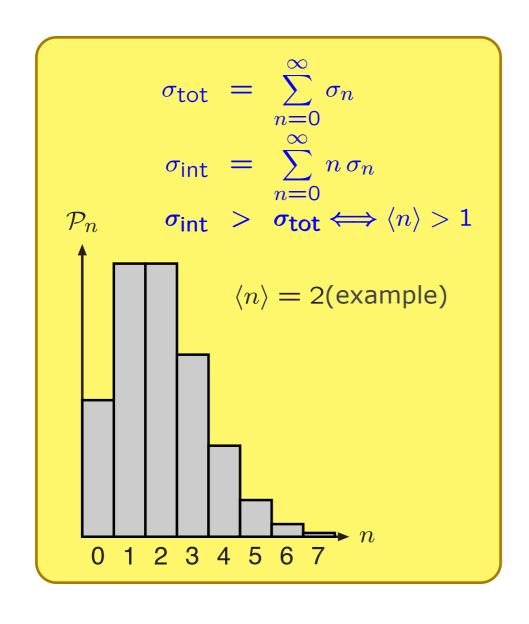
> → Resum dijets? Yes  $\rightarrow$  MPI!

Hadron-Hadron Cross Section

## How many?

Naively 
$$\langle n_{2 \to 2}(p_{\perp \rm min}) \rangle = \frac{\sigma_{2 \to 2}(p_{\perp \rm min})}{\sigma_{\rm tot}}$$

Interactions independent (naive factorization) → Poisson



$$\mathcal{P}_n = \frac{\langle n \rangle^n}{n!} e^{-\langle n \rangle}$$

#### Real Life

Momentum conservation suppresses high-n tail

- + physical correlations
- → not simple product

## 1: A Simple Model

The minimal model incorporating single-parton factorization, perturbative unitarity, and energy-and-momentum conservation

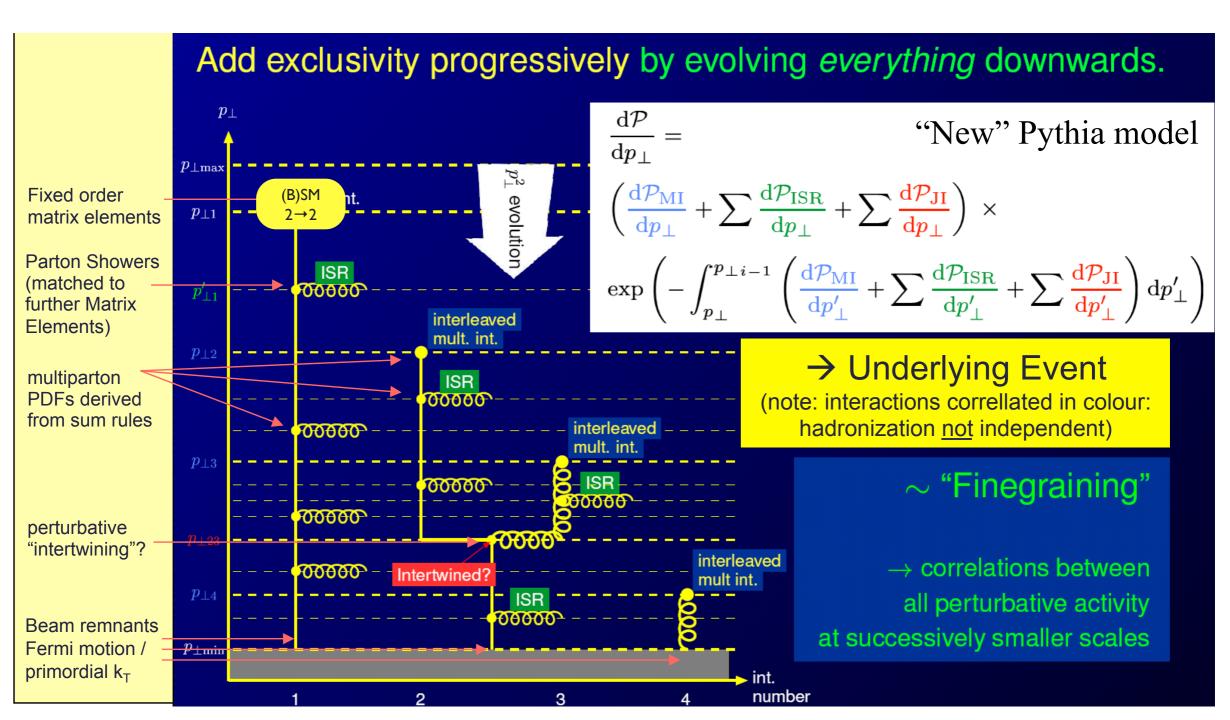
$$\sigma_{2\to2}(p_{\perp \rm min}) = \langle n \rangle (p_{\perp \rm min}) \; \sigma_{\rm tot}$$
 Parton-Parton Cross Section Hadron-Hadron Cross Section

- I. Choose  $p_{T\min}$  cutoff
  - = main tuning parameter
- 2. Interpret  $\langle n \rangle (p_{Tmin})$  as mean of Poisson distribution Equivalent to assuming all parton-parton interactions equivalent and independent  $\sim$  each take an instantaneous "snapshot" of the proton
- 3. Generate n parton-parton interactions (pQCD 2 $\rightarrow$ 2) Veto if total beam momentum exceeded  $\rightarrow$  overall (E,p) cons
- 4. Add impact-parameter dependence  $\rightarrow$  < n> = < n> (b)  $\downarrow$  Assume factorization of transverse and longitudinal d.o.f.,  $\rightarrow$  PDFs : f(x,b) = f(x)g(b) b distribution  $\propto$  EM form factor  $\rightarrow$  JIMMY model Butterworth, Forshaw, Seymour Z.Phys. C72 (1996) 637 Constant of proportionality = second main tuning parameter
- 5. Add separate class of "soft" (zero-pt) interactions representing interactions with  $p_T < p_{T \text{min}}$  and require  $\sigma_{\text{soft}} + \sigma_{\text{hard}} = \sigma_{\text{tot}}$ Herwig++ model Bähr et al, arXiv:0905.4671

## 2: Interleaved Evolution

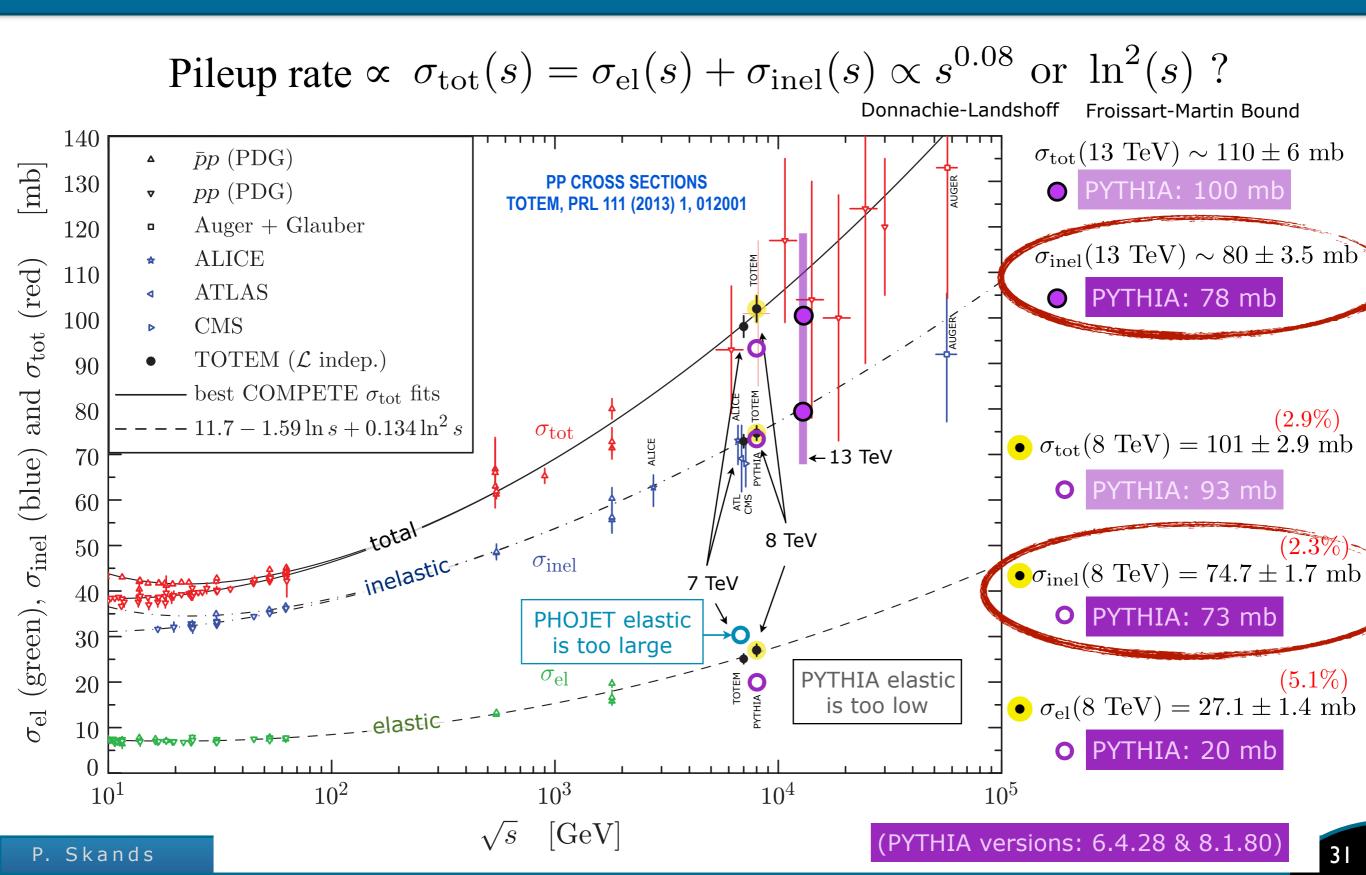


Sjöstrand & Skands, JHEP 0403 (2004) 053; EPJ C39 (2005) 129



Also available for Pomeron-Proton collisions since Pythia 8.165

## PHOJET elastic



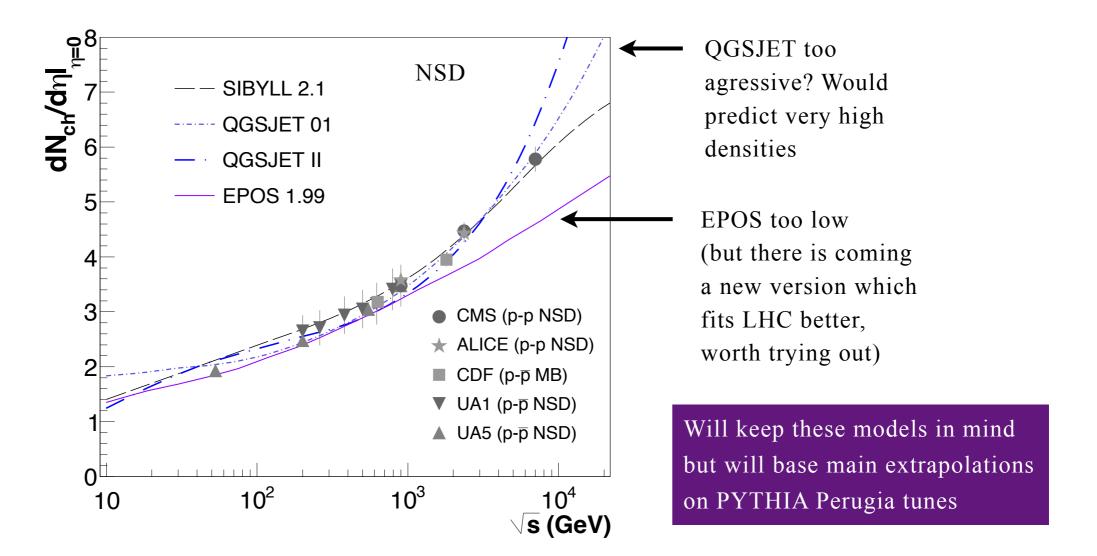
## Scaling of Multiplicities



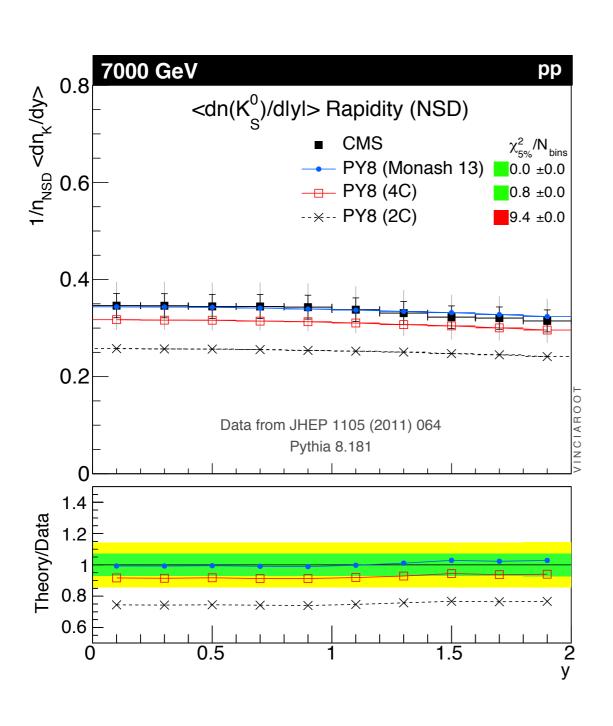
From soft models based on Regge Theory, expect:

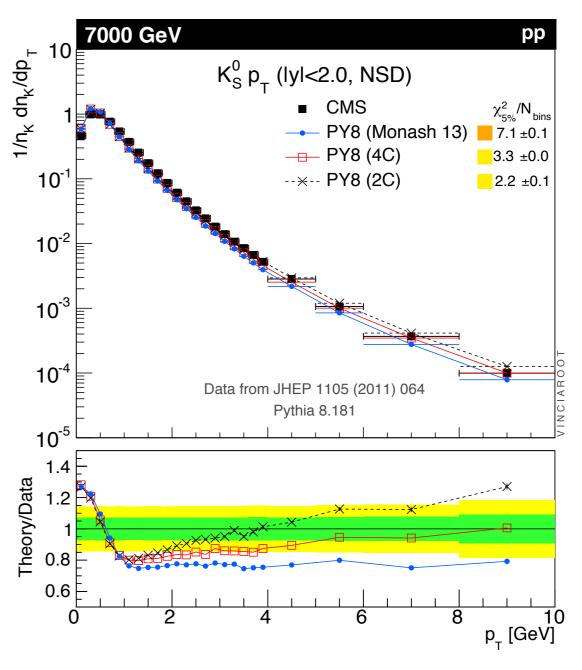
D. d'Enterria et al. [arXiv:1101.5596],

$$\frac{dN_{\rm ch}(s,\eta)}{d\eta}\bigg|_{\eta=0} \propto \frac{{\rm Im} f^{\mathbb{P}}(s,0)}{s\,\sigma_{pp}^{\rm inel}(s)} \sim \frac{s^{\Delta_{\mathbb{P}}}}{\log^2 s}\,,$$



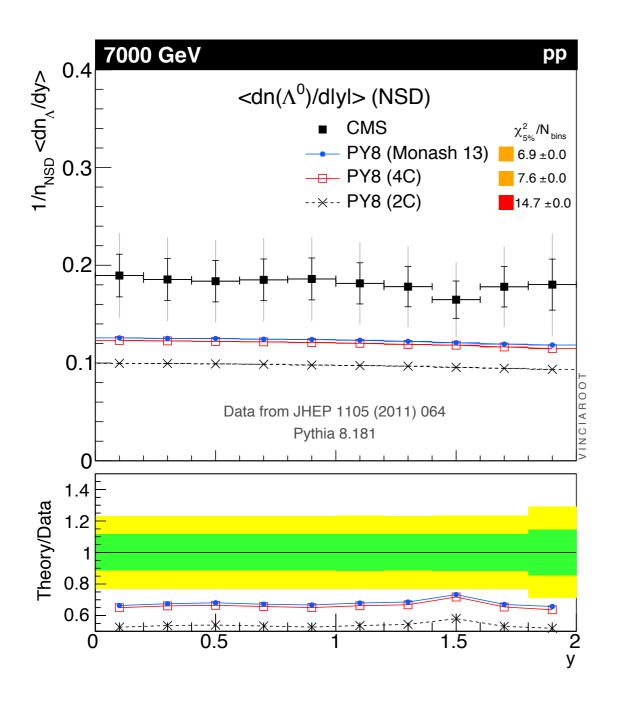
# Strangeness: Kaons

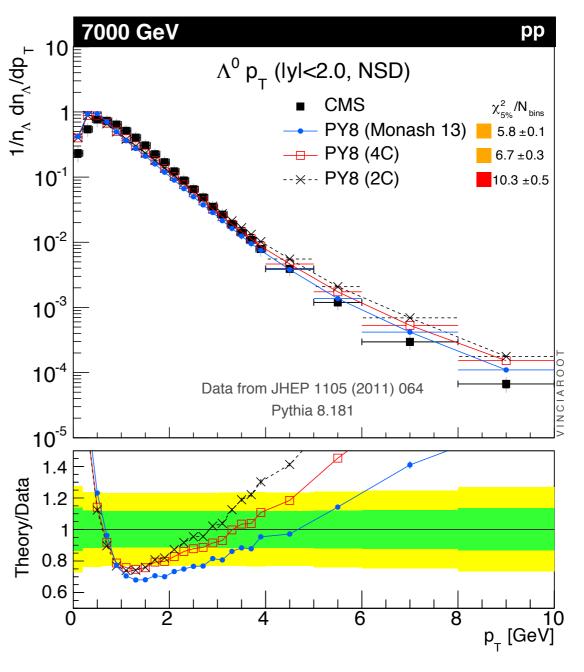




## Strangeness: A hyperons







## Diffraction (in PYTHIA 8)



Navin, arXiv:1005.3894

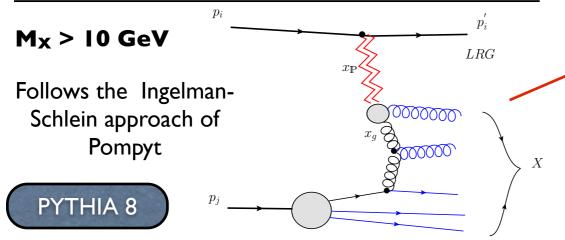
#### Diffractive Cross Section Formulæ:

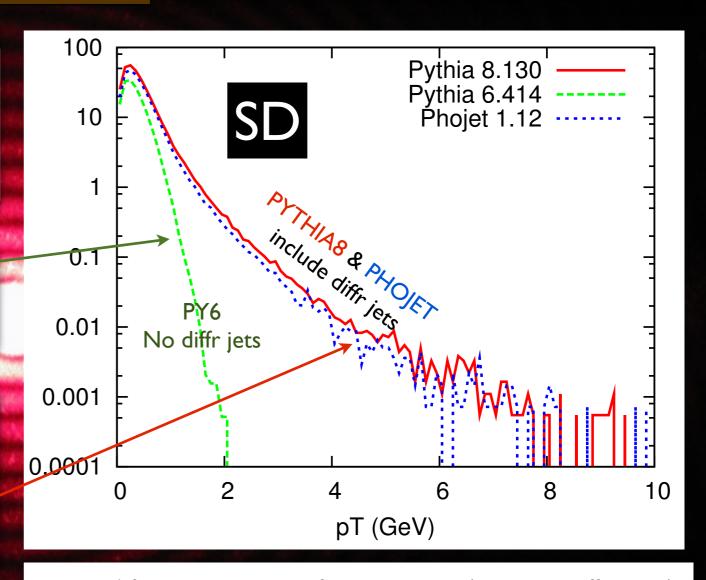
$$\frac{d\sigma_{\text{sd}(AX)}(s)}{dt \, dM^2} = \frac{g_{3\mathbb{P}}}{16\pi} \, \beta_{A\mathbb{P}}^2 \, \beta_{B\mathbb{P}} \, \frac{1}{M^2} \, \exp(B_{\text{sd}(AX)}t) \, F_{\text{sd}} , 
\frac{d\sigma_{\text{dd}}(s)}{dt \, dM_1^2 \, dM_2^2} = \frac{g_{3\mathbb{P}}^2}{16\pi} \, \beta_{A\mathbb{P}} \, \beta_{B\mathbb{P}} \, \frac{1}{M_1^2} \, \frac{1}{M_2^2} \, \exp(B_{\text{dd}}t) \, F_{\text{dd}} .$$

 $M_X \le 10 \text{ GeV}$  (and for all masses in PYTHIA 6)

Represent  $M_X$  as longitudinal string  $\rightarrow$  Fragment  $\rightarrow$  Typical string-fragmentation spectrum

#### Partonic Substructure in Pomeron:





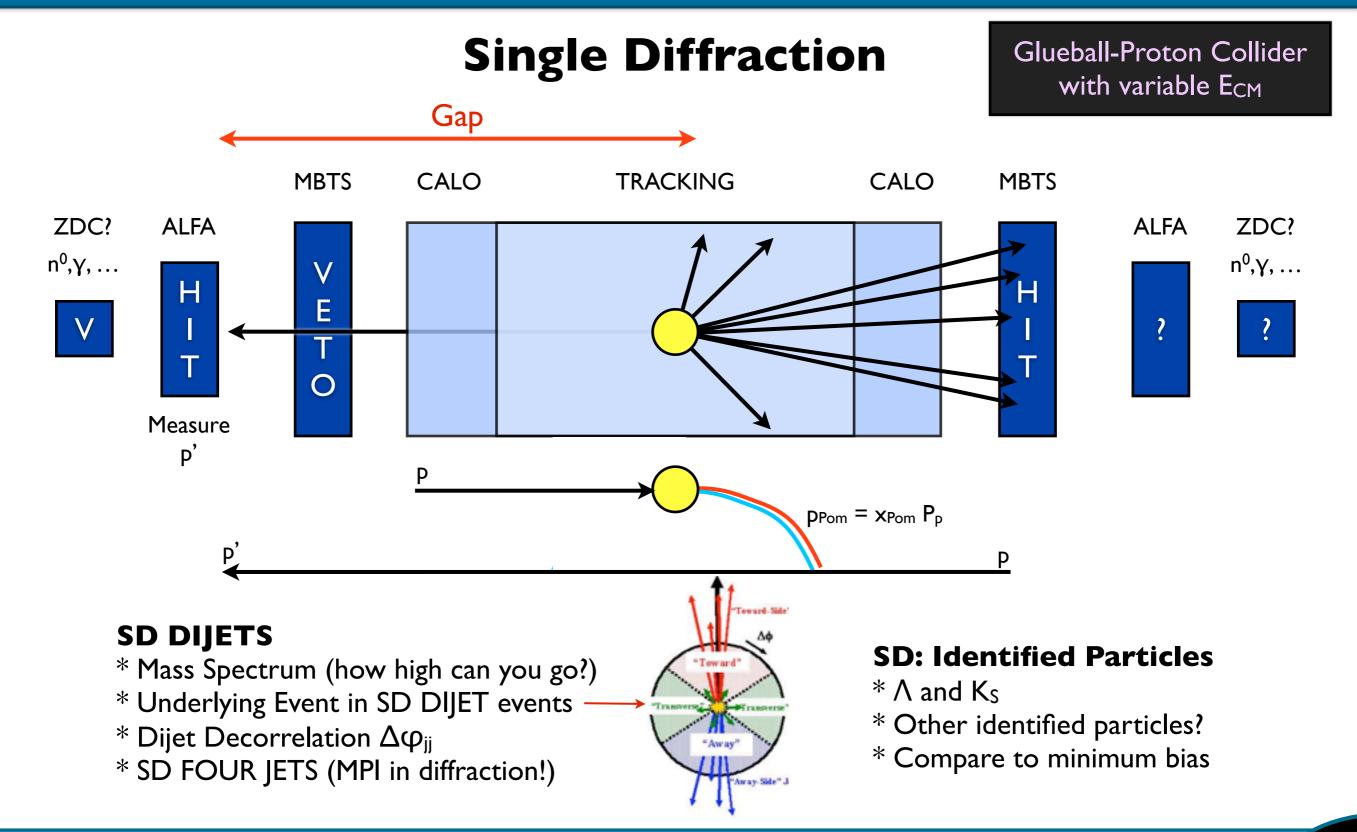
- + NEW! full MPI + showers for Pp system (→ UE in Diffraction)
- + NEW! Central Diffraction (→ fully contained gap-X-gap events)
- + NEW! Alternative Min-Bias Rockefeller (MBR) Model

Choice between 5 Pomeron PDFs. Free parameter  $\sigma_{\mathbb{P}p}$  needed to fix  $\langle n_{\text{interactions}} \rangle = \sigma_{\text{jet}}/\sigma_{\mathbb{P}p}$ .

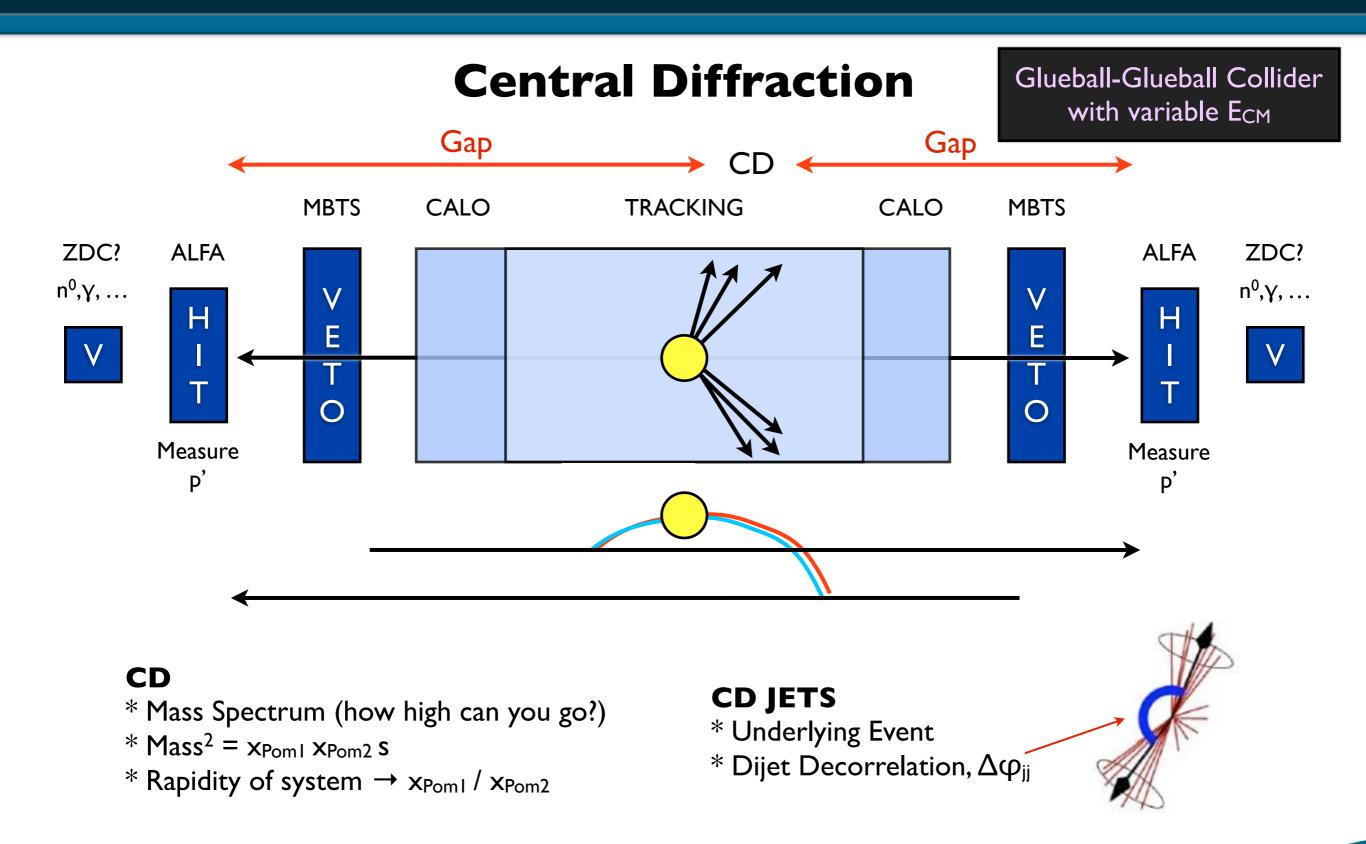
+ Recently Central Diffraction!

Framework needs testing and tuning, e.g. of  $\sigma_{\mathbb{P}_{D}}$ .

#### (Some) Opportunities with ALFA + ATLAS

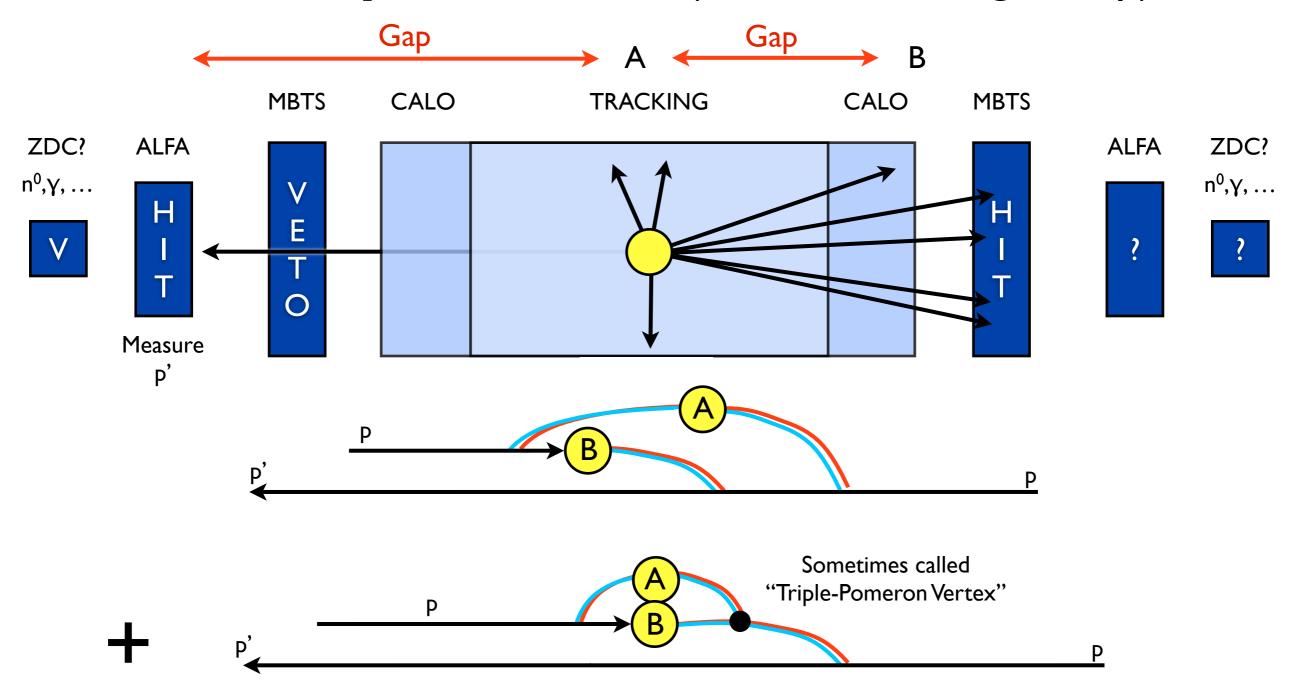


#### (Some) Opportunities with ALFA + ATLAS



#### (Some) Opportunities with ALFA + ATLAS

#### Multi-Gap Diffraction (= Subset of Single-Gap)



## Wait ... is this Crazy?

#### Best tuning result (and default in PYTHIA)

```
Obtained with a_s(M_Z) \approx 0.14

\neq World Average = 0.1176 \pm 0.0020
```

#### Value of as depends on the order and scheme

```
MC \approx Leading Order + LL resummation
Other LO extractions of a_s \approx 0.13 - 0.14
Effective scheme interpreted as "CMW" \rightarrow 0.13;
2-loop running \rightarrow 0.127; NLO \rightarrow 0.12 ?
```

#### Not so crazy

Tune/measure even pQCD parameters with the actual generator.

Sanity check = consistency with other determinations at a similar formal order, within the uncertainty at that order (including a CMW-like scheme redefinition to go to 'MC scheme')

Improve → Matching at LO and NLO